Computer Homework 3

Consider the model

$$SP = \alpha + \beta SQFT + \delta VAC + \theta SQFT \cdot VAC + \varepsilon$$
 (Model A)

where SQFT·VAC is simply a new regressor constructed from knowledge of SQFT and VAC.

Impose the condition VAC=0.

- a. What is the intercept for the sample of occupied houses?
- b. What is the coefficient of floor space for the sample of occupied houses?

Impose the condition VAC=1.

- c. What is the intercept for the sample of vacant houses?
- d. What is the coefficient of floor space for the sample of vacant houses?

Use the data in the *Stata* data file mls.dta to estimate model A. Use the entire sample.

Obviously, we can allow the coefficients for the vacant and occupied samples to differ by estimating the model

$$SP = \alpha + \beta SQFT + \varepsilon$$
 (Model B)

separately for the vacant and occupied samples. Estimate model B separately for the vacant and occupied samples.

- e. Compare the estimates of α and β from model B using the occupied sample, with the estimates of α and β from model A using the full sample.
- f. Compare the estimates of α and β from model B using the vacant sample, with the estimates of $(\alpha+\delta)$ and $(\beta+\theta)$ from model A using the full sample.
- g. Add the values of e'e for model B from the vacant and occupied samples. Compare this to the value of e'e for model A. Is there any substantive difference between estimation of model A for the full sample, and separate estimation of model B for the vacant and occupied samples?
- h. Conduct a Chow test for the pooling of the vacant and occupied samples.

Stata Tip

Estimation of model B using the vacant subsample is accomplished with the Stata command line

Note the double equal sign on the condition.