

Rain, Rational Abstention, and Republican Vote Shares: Weather and Voting in U.S. Presidential Elections

Supplemental Appendix

In our paper, we reference a number of methodological issues and supplementary analyses. This document provides a further discussion of these issues and presents the results of the additional analyses.

Accounting for the Panel Aspect of Our Data

Because we utilize panel data in our analyses, several statistical issues must be addressed. In the text of our paper, we succinctly address our decision to employ a random effects model allowing for county-specific heterogeneity while including fixed effects for election-specific heterogeneity. Here, we provide additional details regarding these choices.

Our panel is heavily cross-section dominant, i.e., the number of counties included in the analysis is much larger than the number of included elections ($T = 14$; $N = 3,115$ (max); Total Observations = 43,340). Some econometricians note that because differences between timewise fixed effects and timewise random effects becomes larger when a panel is cross-section dominant, a Hausman test should be employed to determine which is the appropriate method for handling unobserved temporal heterogeneity in panel models (Hsiao 2003, 51). We, however, cannot obtain a suitable means to jointly estimate both cross-sectional and timewise random effects in a manner that does not leave the model unidentified. Hence, we handle the temporal heterogeneity with fixed effects. Our subsequent empirical results suggested that our reliance on fixed effects to model temporal heterogeneity is a valid choice given that the election year (time) dummies possess large joint F-statistics and are also statistically significant.

The standard approaches for TSCS research designs where $T \geq N$ by a slight or moderate amount (i.e., GLS-ARMA, Beck and Katz panel corrected standard errors) are not applicable for our substantive data problem (e.g., see Beck and Katz 1995, 644; Stimson 1985, 928-929 for political science treatments). Baltagi (1999, 309) also notes that accounting for cross-sectional fixed effects (CSFEs) is not a sound practice for our panel design because of problems arising from collinearity—even when one has a more balanced panel design consisting of $N = 50$ and $T = 10$, for example.

Because the number of cross-sectional units exceeds time units by as much as a factor of over 226, a county-level fixed effects modeling strategy is inappropriate on both econometric and substantive grounds. In the former case, modeling cross-sectional fixed effects (CSFEs) in these voter turnout and partisan vote share equations is problematic for reasons due to collinearity (see Baltagi 1999: 309), and also the standard rank condition assumption pertaining to the CSFEs will not be met (Assumption FE.2: Wooldridge 2003: 269).¹ On a substantive level, our model contains several county-level control variables that are viewed as most critical determinants of cross-sectional variance in turnout and vote share models. The inclusion of county-level fixed effects would unnecessarily diminish these explanatory factors. Furthermore, we refrain from employing fixed effect variance decomposition estimation methods (see Plumper and Troeger 2004) in our study since not only do most of the county-level independent variables vary considerably through time, but more importantly, we possess what resembles a traditional panel design (a very large number of cross-sections [N] relative to time points [T]) as opposed to a pooled time series cross-section design where $N > T$ by a factor ranging between 1 and 20.

Alternatively, we choose to model the cross-sectional heterogeneity in our data through our theoretical variables of interest. This also allows us to omit any spurious relationships that might exist between weather and turnout due to differences across counties due to variations in socioeconomic status or institutional factors related to the cost of voting. We also choose to treat timewise heterogeneity via the modeling of fixed effects. The substance underlying this modeling decision is simple. We claim that each presidential election is a unique event. As a result, we believe that in a particular presidential election contest, voters across U.S. counties will have a common view of which issues define a given

¹ Hsiao (2003: 35) echoes this sentiment by contending that “if the explanatory variables contain some time-invariant variables, z_i , their coefficients cannot be estimated by CV (covariance estimation), because the covariance transformation eliminates z_i from the covariance transformed equation.” Thus, modeling the cross-sectional heterogeneity as either random or deterministic process risks “throwing out the baby with the bathwater” by treating important substantive cross-sectional differences as nuisance.

election contest, well as the relative performance of the incumbent party residing in the White House.²

On an econometric level, the use of time dummies is appropriate in shorter panels since proper stochastic modeling of the dependent variable is difficult when T is small (Arellano 2003: 60-64). Therefore, it is preferable to allow for time-varying intercepts when one has a cross-sectional dominant panel (large N relative to T) (Wooldridge 2003: 170).

Nevertheless, we also estimated our turnout and vote share models while employing county-level fixed effects. The results of these analyses are contained in Tables A1 and A2. In both of the turnout models and both of the vote share models, the inferences drawn with the fixed effects approach are very similar as those drawn with the random effects approach (results presented in the paper). There are only two differences worth noting. First, in the first turnout model (Table A1, Model 1) the coefficient estimates for *Election Day Snow* is statistically significant when the fixed effects approach is employed. Second, in both Models 1 and 2 in Table A1, the coefficient estimates for each of our precipitation variables are larger in magnitude than those found in Table 1 of the main text. Thus, the results presented in the paper are conservative by comparison.

Alternative Model Estimation: Arellano-Bond GMM

A potential problem with the estimated models reported in the manuscript is that we might possess nonzero covariance between the lagged turnout or vote share variables and the stochastic residual disturbances. If this is indeed a problem, then our coefficient estimates may yield a Nickell (1981) bias. Normally, this bias is only problematic when the nonzero covariance assumption of panel models is violated, the coefficient on the lagged dependent variable approaches unity (1.0), and when T is of modest size (in most applications, $T \leq 10$). Although we do not think Nickell bias poses a serious problem for our

² This is not to suggest that all counties view the voter turnout decision or retrospective voting calculus similarly in *absolute terms*, but rather that they do so in *relative terms* insofar that each county's level of voter turnout and GOP partisan electoral support should vary either above or below its mean historical level in response to the unique circumstances surrounding each presidential election.

random effects models given that the coefficients on our lagged dependent variables do not exceed .758 (Baseline Voter Turnout model) and $T = 14$, nonetheless we address this issue here.

Specifically, we employ Arellano and Bond's (1991) GMM estimation strategy, whereby, we employ alternative lagged level(s) of the lagged dependent variable in question (i.e., y_{t-2} ; y_{t-2}, y_{t-3} ; $y_{t-2}, y_{t-3}, y_{t-4}$) to eliminate any such coefficient biases that might plague our statistical results reported in the manuscript. This model is re-estimated in first difference form (see Baltagi (2005, 135-142) for the technical details of this approach). Because the statistical findings are substantively similar across alternative instrument lag structures, for brevity purposes, we only report the results from the simple instrument involving a single lag (i.e., y_{t-2}). The results of these models are reported in Tables A3 and A4.

On a substantive level, the turnout model results from the Arellano-Bond GMM estimation approach comport very well with what we obtained from our standard random effects MLE estimation procedure. Although the 2nd order serial correlation and Sargan tests are both significant at conventional levels, we are not concerned in this instance about an underspecified set of instruments since these results are consistent with those containing additional lags as instruments (which also happen to reject the null for these diagnostic hypotheses tests). Moreover, we are limited in the number of instruments (lags) that we can adopt given that we have a limited T ($T = 14$). The results for the vote share models are somewhat different than those presented in the paper. In the additive model, the inference drawn about (*Election Day Rain – Normal Rain*) stays the same, but the effect of *Snow* is not significant when the Arellano-Bond approach is used. The Arellano-Bond results also do not support the “two-effects model,” unlike the results presented in the manuscript. These differences in results are noted in footnote 25.

Using Just Observed Precipitation in the Vote Share Models

In our paper, we include (*Election Day Rain – Normal Rain*) and (*Election Day Snow – Normal Snow*) in our vote share models. The substantive results change very little if we instead simply include *Election Day Rain* and *Election Day Snow*. The results for this specification are presented in Table A5. The only distinction between these results and those presented in the paper is that in the Two Effects Model *Election Day Rain* is negative and significant while in the results in the paper the estimate for

(Election Day Rain – Normal Rain) is insignificant. Given the presence of the interaction term, this difference only has implications for counties where Republican vote share in the previous three elections approaches zero. Otherwise, the same pattern in the data emerges. The more Republican a county is, the more rain helps Republican vote share.

Why Not Ecological Inference?

We employ standard panel econometric methods instead of ecological inference (EI) techniques in our empirical investigation for clear substantive and methodological reasons. Substantively, our aim is to make aggregate county-level assessments regarding the effect of weather on voter turnout and partisan vote shares, as opposed to individual-level inferences. This choice is grounded in the fact that we treat weather in a given county as being fixed across all individuals who comprise the electorate. EI applications in political science, on the other hand, attempt to gain empirical purchase on individual characteristics (e.g., race, split-ticket voting) relating to individual-level electoral behavior (e.g., King 1997; Burden and Kimball 1998). This is not our aim. On a methodological level, using panel methods allows us to deal with the unobserved heterogeneity, via random effects estimation, that plagues our cross-sectional dominant data design. An EI approach does not afford us the opportunity to model such heterogeneity in a straightforward manner.

Details Regarding Changes to Electoral College Outcomes under Hypothetical Weather Scenarios

In our paper, we consider two hypothetical weather scenarios and then use our models to predict the winner of each of the states in presidential elections from 1948 to 2000. In the first scenario, the election day in question is perfectly dry. In the second, each county experiences the heaviest rainfall/snowfall that is observed for the county on election day during the 1948-2000 time period. We then compare the results of these simulations with actual Electoral College outcomes to determine what effect very dry or very wet weather would have had. Table A6 provides the specific changes that our models predict would have happened under the “dry” and “wet” scenarios.

TABLE A1. Fixed Effects Model of County-Level Voter Turnout in U.S. Presidential Elections, 1948-2000.

Independent Variable	Model 1 Coefficient Estimate (Robust Standard Error)	Model 2 Coefficient Estimate (Robust Standard Error)
Election Day Rain	-.977* (.137)	---
Election Day Snow	-.553* (.129)	---
Election Day Rain - Normal Rain	---	-1.112* (.138)
Election Day Snow - Normal Snow	---	-.626* (.129)
% High School Graduates	.163 (.111)	.167 (.111)
Income	.501* (.190)	.492* (.190)
% African American	-.218* (.019)	-.219* (.019)
Rural	16.054* (2.645)	16.181* (2.649)
Registration Closing Date	-.036* (.002)	-.036* (.002)
Motor Voter	-.402* (.100)	-.397* (.100)
Property Requirement	-4.090* (.335)	-4.081* (.336)
Literacy Test	-1.509* (.155)	-1.504* (.155)
Poll Tax	-8.187* (.216)	-8.196* (.216)
Gubernatorial Election	-1.126* (.111)	-1.127* (.111)
Senate Election	.061 (.051)	.061 (.051)
Turnout _{t-1}	.602* (.006)	.602* (.006)
Constant	24.838* (.554)	24.718* .553
σ_{μ}	3.391	3.394
ρ	.334	.334
Number of Observations	43,340	43,340
R-squared	.845	.845
F Test	2,232*	2,232*

* $p \leq .05$ (two-tailed test). Model also includes fixed effects for election. Estimates are available from authors.

TABLE A2. Fixed Effects Model of County-Level Republican Candidate Vote Share in U.S. Presidential Elections, 1948-2000.

Independent Variable	<i>Conventional Model</i>	<i>Two Effects Model</i>
	Coefficient Estimate (Robust Standard Error)	Coefficient Estimate (Robust Standard Error)
(Election Day Rain - Normal Rain)	2.865* (.164)	.984 (.748)
(Election Day Snow - Normal Snow)	.304* (.113)	.982 (.734)
(Election Day Rain - Normal Rain) × Previous Republican Vote Share	---	.043* (.015)
(Election Day Snow - Normal Snow) × Previous Republican Vote Share	---	-.013 (.014)
Previous Republican Vote Share	.577* (.006)	.579* (.006)
Constant	16.899* (.244)	16.877* (.244)
σ_{μ}	3.890	1.567* (.075)
ρ	.170	.031* (.003)
Number of Observations	43,294	43,294
R-squared	.665	.665
F test	4,289*	3,825*

* $p \leq .05$ (two-tailed test). Model also includes fixed effects for election; coefficient estimates can be obtained from the authors.

TABLE A3. Arellano-Bond Model of County-Level Voter Turnout in U.S. Presidential Elections, 1948-2000.

Independent Variable	Coefficient Estimate	Standard Error
Δ Rain	-1.792*	.127
Δ Snow	-.896*	.116
Δ % High School Graduates	-.568*	.135
Δ Income	.395	.246
Δ % African American	-.364*	.022
Δ Rural	.338	3.611
Δ Registration Closing Date	-.129*	.003
Δ Motor Voter	-.969*	.162
Δ Property Requirement	-4.775*	.571
Δ Literacy Test	1.439*	.249
Δ Poll Tax	-8.241*	.219
Δ Gubernatorial Election	-.260	.166
Δ Senate Election	.087	.051
Δ Turnout _{t-1}	.575*	.006
Constant	10.669*	.130
Number of Observations	40,211	
Wald Test (chi-square, 26 d.f.)	78,190*	
Sargan Test (chi-square, 90 d.f.)	5684*	
1st Order Arellano-Bond Autocorrelation Test (z stat.)	-82.96*	
2nd Order Arellano-Bond Autocorrelation Test (z stat.)	4.95*	

* $p \leq .05$ (two-tailed test) Model also includes fixed effects for each election (these estimates can be obtained from authors).

TABLE A4. Arellano-Bond Model of County-Level Republican Candidate Vote Share in U.S. Presidential Elections, 1948-2000.

Independent Variable	<i>Conventional Model</i>	<i>Two Effects Model</i>
	Coefficient Estimate (Standard Error)	Coefficient Estimate (Standard Error)
$\Delta(\text{Election Day Rain} - \text{Normal Rain})$	4.207* (.242)	4.870* (.844)
$\Delta(\text{Election Day Snow} - \text{Normal Snow})$.130 (.202)	2.812* (1.033)
$\Delta(\text{Election Day Rain} - \text{Normal Rain}) \times$ Previous Republican Vote Share	---	-.016 (.019)
$\Delta(\text{Election Day Snow} - \text{Normal Snow}) \times$ Previous Republican Vote Share	---	-.050* (.019)
Republican Vote Share _{t-1}	-.098* (.006)	-.099* (.006)
Republican Vote Share _{t-2}	.246* (.005)	.245* (.005)
Republican Vote Share _{t-3}	.216* (.005)	.216* (.005)
Constant	-1.437* (.044)	-1.437* (.015)
Number of Observations	33,983	33,983
Wald Test (chi-square, 15 d.f.)	39,765*	39,794*
Sargan Test (chi-square, 85 d.f.)	15,730*	15,730*
1st Order Arellano-Bond Autocorrelation Test (z stat.)	-124.51*	-124.29*
2nd Order Arellano-Bond Autocorrelation Test (z stat.)	11.16*	39.30*

* $p \leq .05$ (two-tailed test). Model also includes fixed effects for each election (these estimates can be obtained from authors).

TABLE A5. Random Effects Model of County-Level Republican Candidate Vote Share in U.S. Presidential Elections, Including Only Observed Precipitation.

Independent Variable	<i>Conventional Model</i>	<i>Two Effects Model</i>
	Coefficient Estimate (Standard Error)	Coefficient Estimate (Standard Error)
Election Day Rain	1.328* (.190)	-1.306* (.595)
Election Day Snow	.393* (.159)	-.103 (.808)
Election Day Rain × Previous Republican Vote Share	---	.061* (.013)
Election Day Snow × Previous Republican Vote Share	---	.009 (.015)
Previous Republican Vote Share	.734* (.004)	.579* (.006)
Constant	10.886* (.225)	16.877* (.244)
σ_{μ}	1.580* (.075)	1.585* (.076)
ρ	.032* (.003)	.032* (.003)
Number of Observations	43,294	43,294
Log-Likelihood	-155,730	-155,719
LR Test (chi-square, 16 and 18 d.f., respectively)	47,696*	47,735 *

* $p \leq .05$ (two-tailed test). Model also includes fixed effects for election; coefficient estimates can be obtained from the authors.

TABLE A6. Changes to Electoral College Outcomes under Hypothetical Weather Scenarios.

Scenario	Election	State	Electoral College Votes	Historical Winner	Winner Under Hypothetical Scenario
<i>Dry Election</i>	1992	North Carolina	14	G. H. W. Bush	Bill Clinton
	2000	Florida	25	George W. Bush	Al Gore
<i>Wet Election</i>	1948	Illinois	28	Harry Truman	Thomas Dewey
	1948	Ohio	25	Harry Truman	Thomas Dewey
	1952	Kentucky	10	Adlai Stevenson	Dwight Eisenhower
	1956	Missouri	13	Adlai Stevenson	Dwight Eisenhower
	1960	Delaware	3	John Kennedy	Richard Nixon
	1960	Illinois	27	John Kennedy	Richard Nixon
	1960	Minnesota	11	John Kennedy	Richard Nixon
	1960	Missouri	13	John Kennedy	Richard Nixon
	1960	New Jersey	16	John Kennedy	Richard Nixon
	1960	New Mexico	4	John Kennedy	Richard Nixon
	1960	Pennsylvania	32	John Kennedy	Richard Nixon
	1968	Maryland	10	Hubert Humphrey	Richard Nixon
	1968	Texas	25	Hubert Humphrey	Richard Nixon
	1976	Mississippi	7	Jimmy Carter	Gerald Ford
		Ohio	25	Jimmy Carter	Gerald Ford
		Wisconsin	11	Jimmy Carter	Gerald Ford
	1984	Minnesota	10	Walter Mondale	Ronald Reagan
1992	Georgia	13	Bill Clinton	G. H. W. Bush	
1996	Kentucky	8	Bill Clinton	Bob Dole	
2000	Wisconsin	11	Al Gore	George Bush	

References

- Angrist, Joshua D., Guido W. Imbens, and Alan Krueger. 1999. "Jackknife Instrumental Variables Estimation." *Journal of Applied Econometrics* 14 (January/February): 57-67.
- Arellano, Manuel. 2003. *Panel Data Econometrics*. New York: Oxford University Press.
- Baltagi, Badi, H. 1999. *Econometrics*. 2nd ed. New York: Springer-Verlag.
- Baltagi, Badi H. 2005. *Econometric Analysis of Panel Data*. 3rd ed. New York: John Wiley & Sons.
- Beck, Nathaniel, and Jonathan N. Katz. 1995. "What to Do (and Not to Do) with Time-Series Cross-Section Data." *American Political Science Review* 89(September): 634-647.
- Burden, Barry C., and David Kimball. 1998. "A New Approach to the Study of Split-Ticket Voting" *American Political Science Review* 92(September): 533-544.
- Hosking, J.R.M. 1980. "The Multivariate Portmanteau Statistic." *Journal of the American Statistical Association* 75(September): 602-608.
- Hsiao, Cheng. 2003. *Analysis of Panel Data*. New York: Cambridge University Press.
- King, Gary. 1997. *A Solution to the Ecological Inference Problem: Reconstructing Individual Behavior from Aggregate Data*. Princeton, NJ: Princeton University Press.
- Murphy, Kevin M., and Robert H. Topel. 1985. "Estimation and Inference in Two-Step Econometric Models." *Journal of Business and Economic Statistics* 3(October): 370-379.
- Nickell, Stephen. 1981. "Biases in Dynamic Models with Fixed Effects." *Econometrica* 49(November): 1417-1426.
- Plümper, Thomas, and Vera E. Troeger. 2004. "Efficient Estimation of Rarely Changing Variables in Fixed Effects Models." University of Konstanz. Typescript.
- Stimson, James A. 1985. "Regression in Space and Time: A Statistical Essay." *American Journal of Political Science* 29(November): 914-947.